

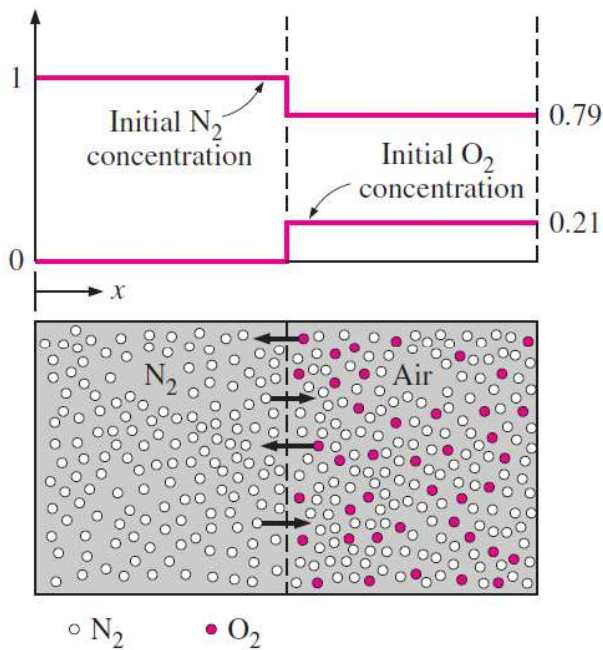
14. GAIA

MASA TRANSFERENTZIA

14.0 - HELBURUAK

2/31

- **Kontzentrazio-gradiente**a eta **masa-transferentziako** mekanismo fisikoak ulertu
- **Bero-** eta **masa-transferentziaren** arteko **analogiak** ezagutu
- Toki bateko kontzentrazioa masan edo moletan oinarrituta deskribatu, eta difusio-abiadura eta kontzentrazio-gradiente lotu, **Fick-en legearen** bidez
- Baldintza **geldikorretan**, geruza lau batean zeharreko **masa-difusioaren** abiadura kalkulatu
- **Ur-lurrunaren migrazioa** eraikinetan
- **Konbektzio** bidezko masa-transferentzia kalkulatu
- Aldibereko bero- eta masa-transferentzia aztertu.

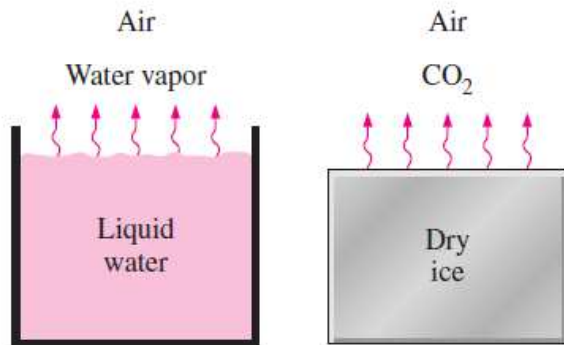


$$\dot{m} = -D_{AB} \cdot A \frac{dC}{dx}$$

D_{AB} : Espezien difusio-koefizientea
 dC/dx : kontzentrazio gradientea

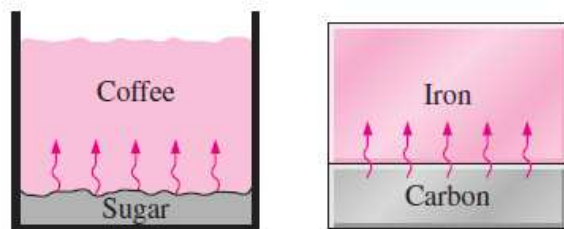
Fenomenoa	Ezaugarri garraiatzailea	Indar bultzatzailea	Legea	Ekuazioa	Garraio koefizientea
Difusioa	Materia	Kontzentrazio diferentzia	Fick	$m = -D_{AB} A dC/dx$	Difusio koefizientea D_{AB}
Kondukzio termikoa	Energia	Temperatura diferentzia	Fourier	$Q = -k A dT/dx$	Konduktibitate termikoa k
Kondukzio elektrikoa	Elektroiak	Potentzial diferentzia	Ohm	$I = -\sigma A dV/dx$	Konduktibitate elektrikoa σ
Biskositatea	Momentu kantitatea	Abiadura diferentzia	Newton	$F = -\mu A dv/dx$	Biskositatea μ

MASA TRANSFERENTZIA: LIKIDOAK, SOLIDOAK ETA GASAK



(a) Liquid to gas

(b) Solid to gas



(c) Solid to liquid

(d) Solid to solid

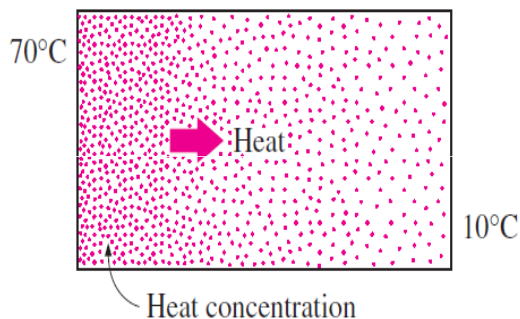
FAKTOREAK:

- Kontzentrazioa
- Temperatura
- Tarte molekularra

14.2 – BERO- ETA MASA-TRANSFERENTZIEN ARTEKO ANALOGIA

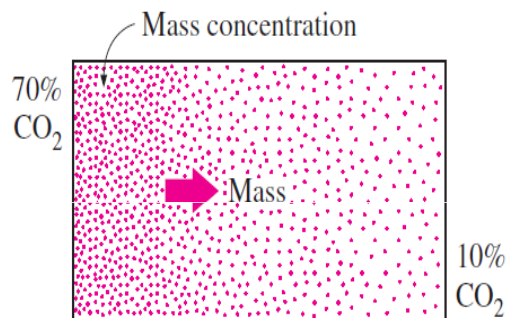
TENPERATURA

Bero Transferentzia



Indar bultzatzailea:
Temperatura gradientea

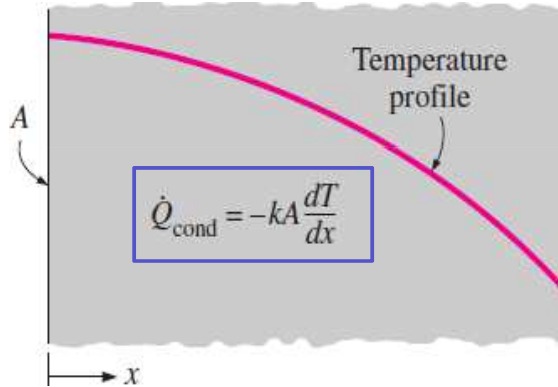
Masa Transferentzia



Indar bultzatzailea:
Kontzentrazio diferentzia

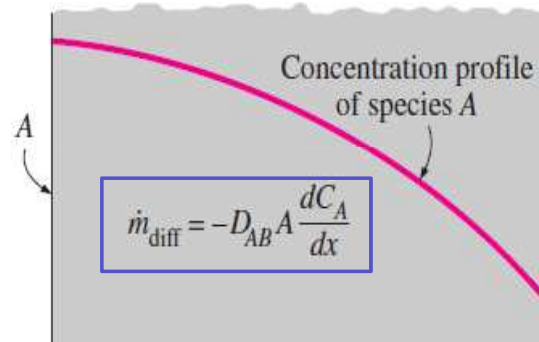
EROAPENA

Bero Transferentzia



Fourier-en Legea

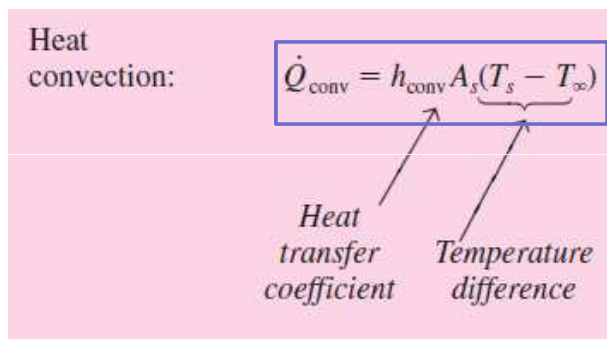
Masa Transferentzia



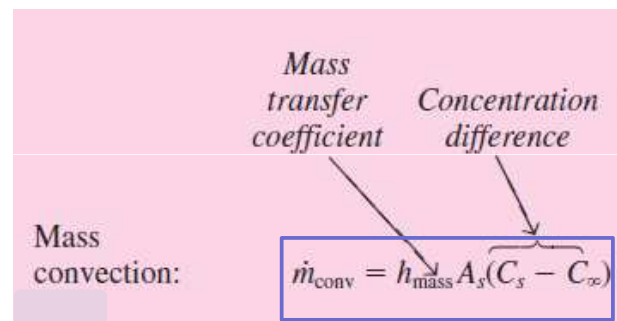
Fick-en Legea **Difusibitatea**

KONBEKZIOA

Bero Transferentzia

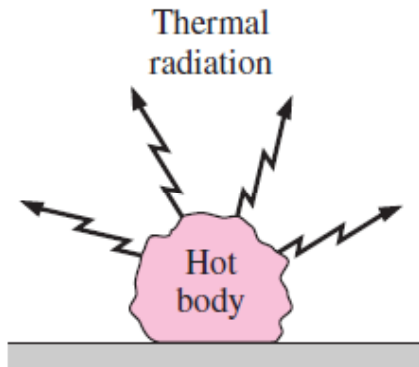


Masa Transferentzia

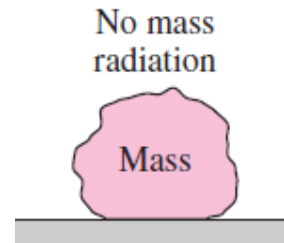


ERRADIAZIOA

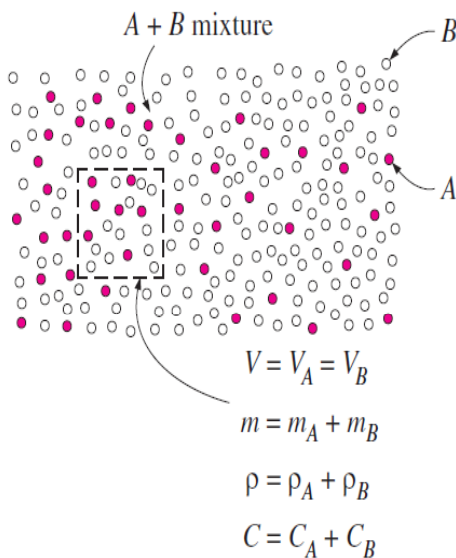
Bero Transferentzia



Masa Transferentzia



14.3 – MASA DIFUSIOA



MASAN OINARRITUA:

Dentsitatea

$$\rho_i = m_i / V \text{ [kg / m}^3\text{]}$$

$$\rho = m / V$$

Masa Frakzioa

$$w_i = \frac{m_i}{m} = \frac{\rho_i}{\rho}$$

$$0 < w < 1 \quad \sum w_i = 1$$

MOLETAN OINARRITUA:

Dentsitate Molarra

$$C_i = N_i / V \text{ [kmol / m}^3\text{]}$$

$$C = N / V$$

Frakzio Molarra

$$y_i = \frac{N_i}{N} = \frac{C_i}{C}$$

$$0 < y < 1 \quad \sum y_i = 1$$

BIEN ARTEKO ERLAZIOA:

$$C_i = \rho_i / M_i$$

$$C = \rho / M$$

M : masa molarra $M = m / N$

$$w_i = \frac{\rho_i}{\rho} = \frac{C_i \cdot M_i}{C \cdot M} = y_i \frac{M_i}{M}$$

GAS NAHASTURA IDEALAK

Presio Partziala: P_i

Gas presio partzialen batura : $P = \sum P_i \implies$ **Dalton-en Legea Presio gehigarriak**

$$\frac{P_i}{P} = \frac{N_i \cdot R_u \cdot T / V}{N \cdot R_u \cdot T / V} = \frac{N_i}{N} = y_i$$

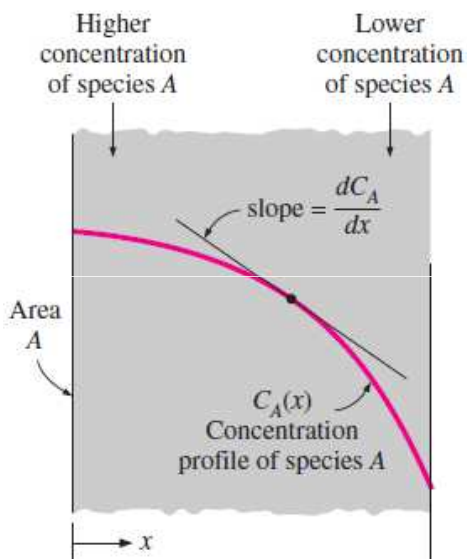
2 mol A
6 mol B
 $P = 120 \text{ kPa}$

A mixture of two ideal gases A and B

$$y_A = \frac{N_A}{N} = \frac{2}{2 + 6} = 0.25$$

$$P_A = y_A P = 0.25 \times 120 = 30 \text{ kPa}$$

FICK-EN DIFUSIO LEGEA: BI ESPEZIEZ OSATUTAKO INGURUNE GELDIA



Masan Oinarritua

$$\begin{aligned} \dot{m}_{diff} &= -\rho A D_{AB} \frac{dw_A}{dx} \\ &= -\rho A D_{AB} \frac{d(\rho_A/\rho)}{dx} \\ &= -A D_{AB} \frac{d\rho_A}{dx} \quad (\text{if } \rho = \text{constant}) \end{aligned}$$

Moletan Oinarritua

$$\begin{aligned} \dot{N}_{diff, A} &= -C A D_{AB} \frac{dy_A}{dx} \\ &= -C A D_{AB} \frac{d(C_A/C)}{dx} \\ &= -A D_{AB} \frac{dC_A}{dx} \quad (\text{if } C = \text{constant}) \end{aligned}$$

DIFUSIO KOEFIZIENTEA (D_{AB})

Modu Esperimentalean kalkulatu $D_{H_2O-Air} = 1,87 \cdot 10^{-10} \frac{T^{2,072}}{P}$ [m²/s], 280K < T < 450K
T[K] eta P[atm]

• Gas-etan: nahasturaren konposizioarekiko independentea: $T \uparrow \rightarrow D_{AB} \uparrow$
 $P \uparrow \rightarrow D_{AB} \downarrow$

$$D_{AB} \cdot \alpha \frac{T^{3/2}}{P} \text{ edo } \frac{D_{AB,1}}{D_{AB,2}} = \frac{P_2}{P_1} \left(\frac{T_1}{T_2} \right)^{3/2}$$

• Solidoak eta likidoak: $T \uparrow \rightarrow D_{AB} \uparrow$

Binary diffusion coefficients of some gases in air at 1 atm pressure (from Mills, Ref. 13, Table A.17a, p. 869)

Binary Diffusion Coefficient, *
m²/s × 10⁵

(a) Diffusion through Liquids

Substance A (Solute)	Substance B (Solvent)	T, K	D_{AB} , m ² /s
Ammonia	Water	285	1.6×10^{-9}
Benzene	Water	293	1.0×10^{-9}
Carbon dioxide	Water	298	2.0×10^{-9}
Chlorine	Water	285	1.4×10^{-9}

T, K	O ₂	CO ₂	H ₂	NO
200	0.95	0.74	3.75	0.88
300	1.88	1.57	7.77	1.80
400	5.25	2.63	12.5	3.03
500	4.75	3.85	17.1	4.43
600	6.46	5.37	24.4	6.03
700	8.38	6.84	31.7	7.82
800	10.5	8.57	39.3	9.78
900	12.6	10.5	47.7	11.8
1000	15.2	12.4	56.9	14.1
1200	20.6	16.9	77.7	19.2
1400	26.6	21.7	99.0	24.5
1600	33.2	27.5	125	30.4
1800	40.3	32.8	152	37.0
2000	48.0	39.4	180	44.8

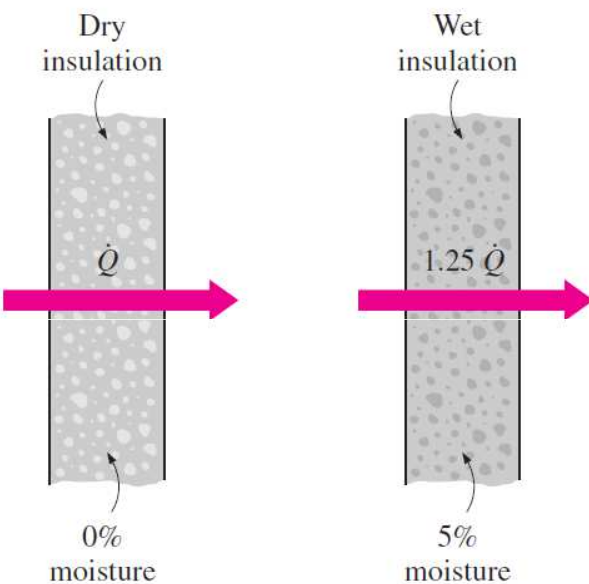
(b) Diffusion through Solids

Substance A (Solute)	Substance B (Solvent)	T, K	D_{AB} , m ² /s
Carbon dioxide	Natural rubber	298	1.1×10^{-10}
Nitrogen	Natural rubber	298	1.5×10^{-10}
Oxygen	Natural rubber	298	2.1×10^{-10}
Helium	Pyrex	773	2.0×10^{-12}

del F

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14.6 – UR-LURRUNAREN MIGRAZIOA ERAIKINETAN

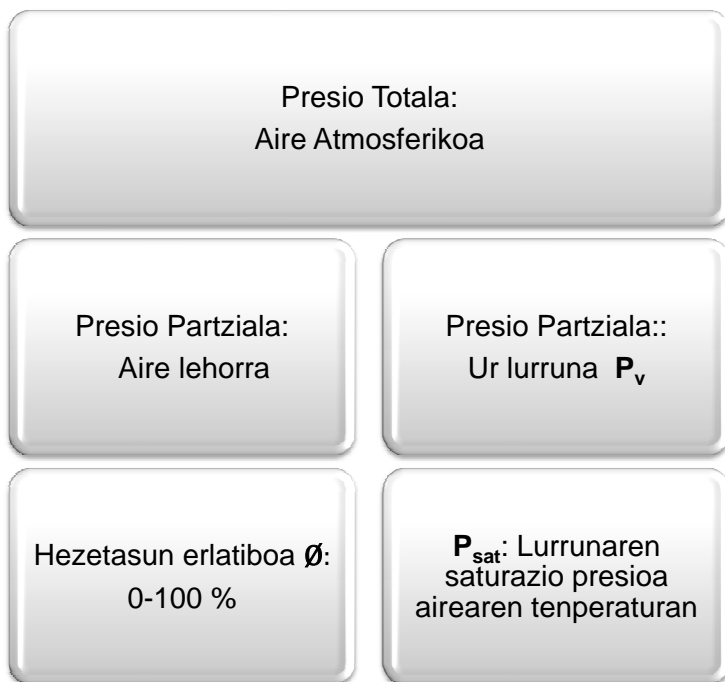


Eraikuntzako joskerako hezetasunaren eragina:

- Zuran: Dimentsioak, ltxura, ustelketak
- Metalak: korrosioa eta herdoiltzea
- Pintura: askatzea
- Lizuna: agertu

Lurrun heziak:

Material iragazgaitzak
Lurrun moteltzaileak



Saturation pressure of water at various temperatures

Temperature, °C	Saturation Pressure, Pa
-40	13
-36	20
-32	31
-28	47
-24	70
-20	104
-16	151
-12	218
-8	310
-4	438
0	611
5	872
10	1,228
15	1,705
20	2,339
25	3,169
30	4,246
35	5,628
40	7,384
50	12,349
100	101,330
200	1.55×10^6
300	8.58×10^6

$$P_v = \phi \cdot P_{sat}$$

GERUZA LAU BATEAN ZEHARREKO HEZETASAUNAREN MASA EMARIA:

$$\dot{m}_v = P \cdot A \frac{P_{v,1} - P_{v,2}}{L} = P \cdot A \frac{\phi_1 \cdot P_{sat,1} - \phi_2 \cdot P_{sat,2}}{L} \quad [\text{kg} / \text{s}]$$

Non: P lurrun-iragazkortasuna (ng/s m Pa) ($1\text{ng}=10^{-12}\text{kg}$)

Permeantzia (M) $M = \frac{P}{L} \quad [\text{kg} / \text{s} \text{m}^2 \text{Pa}]$

Lurrun erresistentzia (R_v) $R_v = \frac{1}{M} = \frac{L}{P}$

Egitura konposatua:

$$R_{v,total} = R_{v,1} + R_{v,2} + \dots + R_{v,n} = \sum R_{v,i}$$

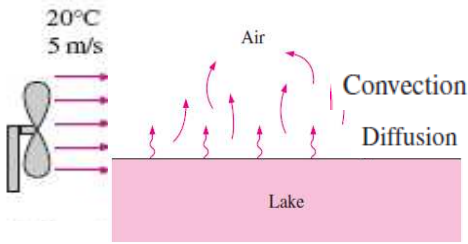
Lurrun trasmisioa egitura konposatuan:

$$\dot{m}_v = A \frac{\Delta P_v}{R_{v,total}} \quad [\text{kg} / \text{s}]$$

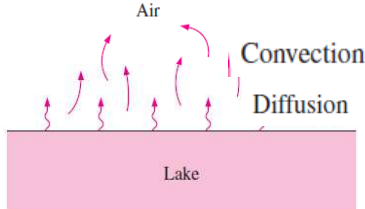
Sartzen / irteten den hezetasuna:
Difusioz <<< aire infiltrazioz

Materials and Its Thickness	Permeance ng/s · m ² · Pa
Concrete (1:2:4 mix, 1 m)	4.7
Brick, masonry, 100 mm	46
Plaster on metal lath, 19 mm	860
Plaster on wood lath, 19mm	630
Gypsum wall board, 9.5 mm	2860
Plywood, 6.4 mm	40-109
Still air, 1 m	174
Mineral wool insulation (unprotected), 1 m	245
Expanded polyurethane insulation board, 1 m	0.58-2.3
Aluminum foil, 0.025 mm	0.0
Aluminum foil, 0.009 mm	2.9
Polyethylene, 0.051 mm	9.1
Polyethylene, 0.2 mm	2.3
Polyester, 0.19 mm	4.6
Vapor retarder latex paint, 0.070 mm	26
Exterior acrylic house and trim paint, 0.040 mm	313
Building paper, unit mass of 0.16-0.68 kg/m ²	0.1-2400

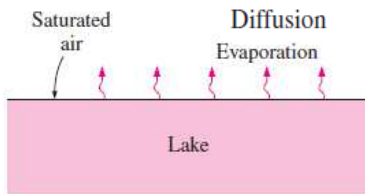
Gainazal baten eta mugitzen ari den fluido baten arteko masa transferentzia



a) Forced convection



b) Free convection



c) Diffusion

Konbektzio masa-transferentzia hurrengo parametroen arabaerakoa da:

- Gainazalaren forma
- Fluxu erregimena
- Fluidoaren abiadura
- Fluidoaren propietateen aldaketak
- Konposizio aldaketak

Erlazio Esperimentalak

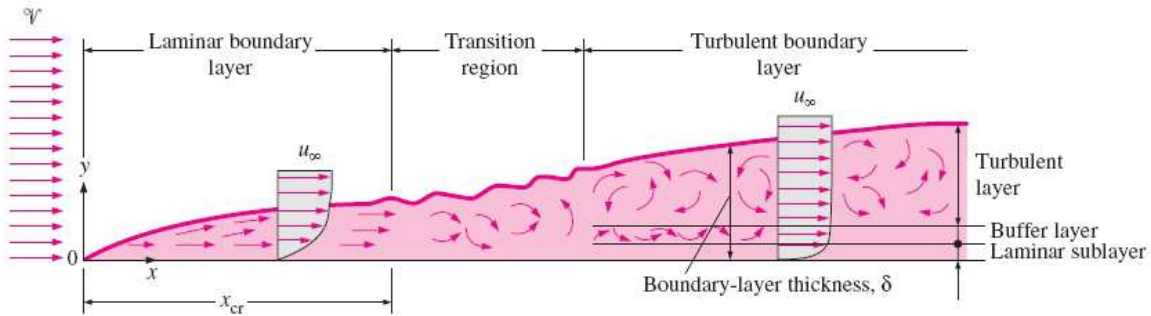
Bero Transferentzia

Masa Transferentzia

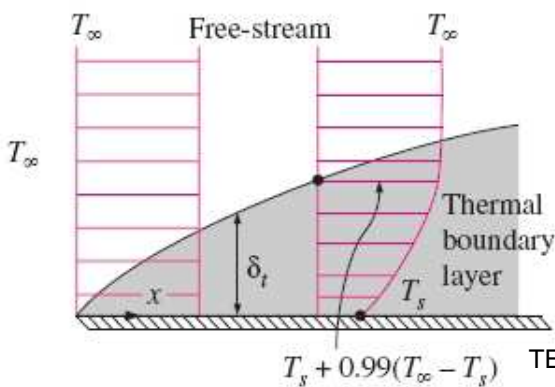
$$\dot{Q}_{conv} = h_{conv} \cdot A_s (T_s - T_\infty) \quad \dot{m}_{conv} = h_{mass} \cdot A_s (\rho_{A,s} - \rho_{A,\infty})$$

$$\dot{m}_{conv} = h_{mass} \cdot \rho A_s (w_{A,s} - w_{A,\infty})$$

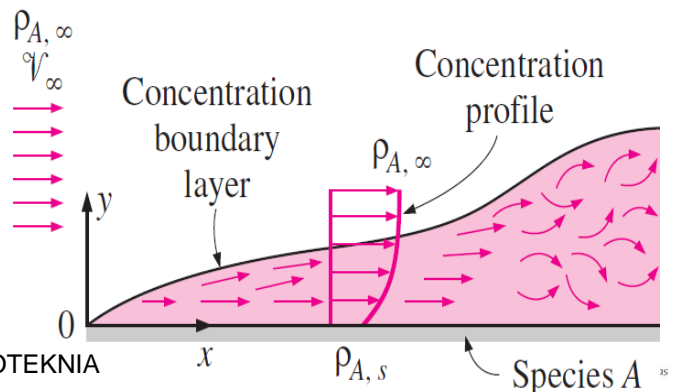
ABIADURA MUGALDE GERUZA



BERO MUGALDE GERUZA



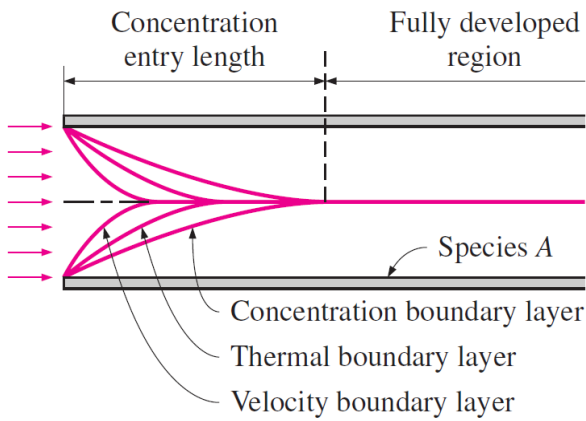
KONTZENTRAZIO MUGALDE GERUZA



KONTZENTRAZIO MUGALDE GERUZA

Kanpo Fluxua $\frac{\rho_{A,S} - \rho_A}{\rho_{A,S} - \rho_{A,\infty}} = 0,99$

Barne Fluxua



Erabat garatutako eskualdea

$$\frac{\partial}{\partial x} \left(\frac{\rho_{A,S} - \rho_A}{\rho_{A,S} - \rho_{A,b}} \right) = 0$$

Batez besteko dentsitate globala

$$\rho_{A,b} = \frac{1}{A_c \cdot V_{ave}} \int_{A_c} \rho_A \cdot V \cdot dA_c$$

Bero Transferentzia

$$Pr = \frac{v}{\alpha} = \frac{\mu \cdot c_p}{k}$$

Prandtl Zenbakia = $\frac{\text{Momentu difusibitatea}}{\text{Bero difusibitatea}}$

Masa Transferentzia

$$Sc = \frac{v}{D_{AB}}$$

Schmidt Zenbakia = $\frac{\text{Momentu difusibitatea}}{\text{Masa difusibitatea}}$

FLUXU LAMINARRA



$Pr \approx 1$

$Sc \approx 1$

$$Le = \frac{Sc}{Pr} = \frac{\alpha}{D_{AB}}$$

Lewis Zenbakia = $\frac{\text{Bero difusibitatea}}{\text{Masa difusibitatea}}$

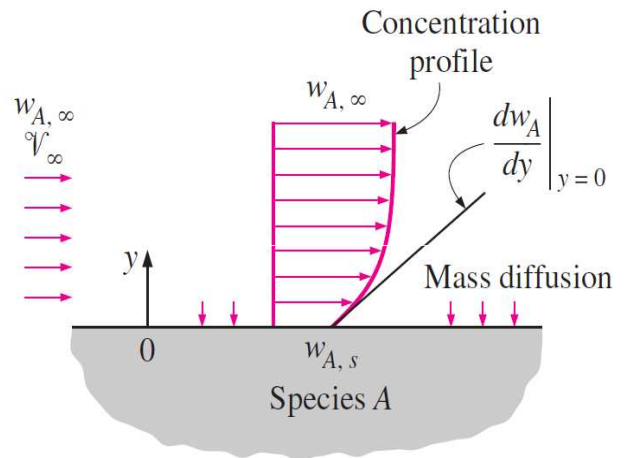
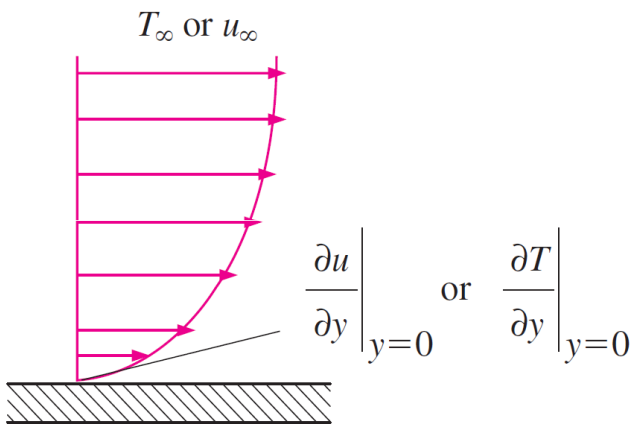
FLUXU LAMINARREAN, ABIADURAREN ETA KONTZENTRAZIOAREN MUGALDE-GERUZEN NAHIZ MUGALDE-GERUZA TERMIKOAREN LODIERA ERLATIBOAK

$$\frac{\delta_{velocity}}{\delta_{thermal}} = Pr^n \quad \frac{\delta_{velocity}}{\delta_{concentration}} = Sc^n \quad \frac{\delta_{thermal}}{\delta_{concentration}} = Le^n$$

Kasu gehienetan $\rightarrow n=1/3$

Bero Transferentzia

Masa Transferentzia



$$h_{conv} = \frac{-k_{fluid} \cdot (\partial T / \partial y)_{y=0}}{T_s - T_\infty} \quad [W/m^2 \cdot ^\circ C]$$

$$h_{mass} = \frac{-D_{AB} \cdot (\partial w_A / \partial y)_{y=0}}{w_{A,s} - w_{A,\infty}} \quad [m / s]$$

Bero Transferentzia

NUSSELT-EN ZENBAKIA

$$Nu = \frac{h_{conv} \cdot L_c}{k}$$

STANTON-EN BERO
TRANSF. ZENBAKIA

$$St = \frac{h_{conv}}{\rho \cdot V \cdot C_p} = \frac{Nu}{Re \cdot Pr}$$

KONBEKZIO BEHARTUA

$$Nu = f(Re, Pr)$$

KONBEKZIO NATURALA

$$Nu = f(Gr, Pr)$$



Masa Transferentzia

SHERWOOD-EN ZENBAKIA

$$Sh = \frac{h_{mass} \cdot L_c}{D_{AB}}$$

STANTON-EN MASA
TRANSF. ZENBAKIA

$$St_{mass} = \frac{h_{mass}}{V} = \frac{Sh}{Re \cdot Sc}$$

$$Sh = f(Re, Sc)$$

$$Sh = f(Gr, Sc)$$



Bero Transferentzia

$$Re = \frac{V \cdot L_c}{\nu}$$

$$Gr = \frac{g \cdot \beta \cdot (T_s - T_\infty) L_c^3}{\nu^2}$$

$$Pr = \frac{\nu}{\alpha}$$

$$St = \frac{h_{conv}}{\rho \cdot V \cdot c_p}$$

$$Nu = \frac{h_{conv} \cdot L_c}{k}$$

$$Nu = f(Re, Pr)$$

$$Nu = f(Gr, Pr)$$



Masa Transferentzia

$$Re = \frac{V \cdot L_c}{\nu}$$

$$Gr = \frac{g (\rho_s - \rho_\infty) L_c^3}{\rho \nu^2}$$

$$Sc = \frac{\nu}{D_{AB}}$$

$$St_{mass} = \frac{h_{mass}}{V}$$

$$Sh = \frac{h_{mass} \cdot L_c}{D_{AB}}$$

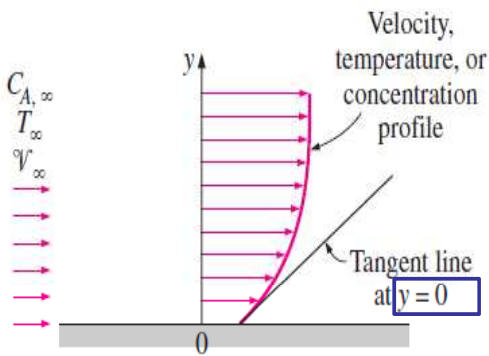
$$Sh = f(Re, Sc)$$

$$Sh = f(Gr, Sc)$$



MARRUSKADURAREN, BERO-TRANSFERENTZIAREN ETA MASA-TRANSFERENTZIAREN KOEFIZIENTEEN ARTEKO ANALOGIA

KANPO KLUXUA



Horma marruskadura $\tau_s = \mu \frac{\partial u}{\partial y} \Big|_{y=0} = \frac{C_f}{2} \rho \cdot V_{\infty}^2$

Bero Transf $\dot{q}_s = -k \frac{\partial T}{\partial y} \Big|_{y=0} = h_{heat} (T_s - T_{\infty})$

Masa Transf $j_{A,s} = -D_{AB} \frac{\partial w_A}{\partial y} \Big|_{y=0} = h_{mass} (w_{A,s} - w_{A,\infty})$

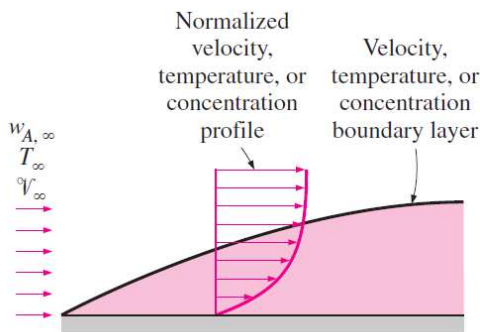
BARNE FLUXUA

Horma marruskadura $\frac{d(u/V_{\infty}) \partial u}{d(y/L)} \Big|_{y=0} = \frac{C_f}{2} \frac{\rho \cdot V_{\infty} \cdot L}{\mu} = \frac{f}{2} Re$

Bero Transf $\frac{d[(T - T_s)/(T_{\infty} - T_s)]}{d(y/L)} \Big|_{y=0} = \frac{h_{heat} \cdot L}{k} = Nu$

Masa Transf $\frac{d[(w_A - w_{A,s})/(w_{A,\infty} - w_{A,s})]}{d(y/L)} \Big|_{y=0} = \frac{h_{mass} \cdot L}{D_{AB}} = Sh$

REYNOLDS-EN ANALOGIA $Pr \sim Sc \sim 1$ KASURAKO



Reynolds analogy
 $v = \alpha = D_{AB}$
 (or $Pr = Sc = Le$)

$$C_f \frac{Re_L}{2} = Nu = Sh$$

$$\frac{C_f}{2} = St = St_{mass} \quad (Pr = Sc = 1)$$

$$St = \frac{h_{conv}}{\rho \cdot V \cdot C_p} \quad St_{mass} = \frac{h_{mass}}{V}$$

CHILTON-COLBURN-EN ANALOGIA

Non $0,6 < Pr < 60$ eta $0,6 < Sc < 3\,000$

$$\frac{C_f}{2} = \frac{h_{conv}}{\rho \cdot V \cdot c_p} \cdot Pr^{2/3} = \frac{h_{mass}}{V} \cdot Sc^{2/3}$$

Chilton–Colburn Analogy

General:

$$h_{mass} = \frac{h_{heat}}{\rho C_p} \left(\frac{D_{AB}}{\alpha} \right)^{2/3} = \frac{1}{2} f v \left(\frac{D_{AB}}{\nu} \right)^{2/3}$$

Special case: $v = \alpha = D_{AB}$

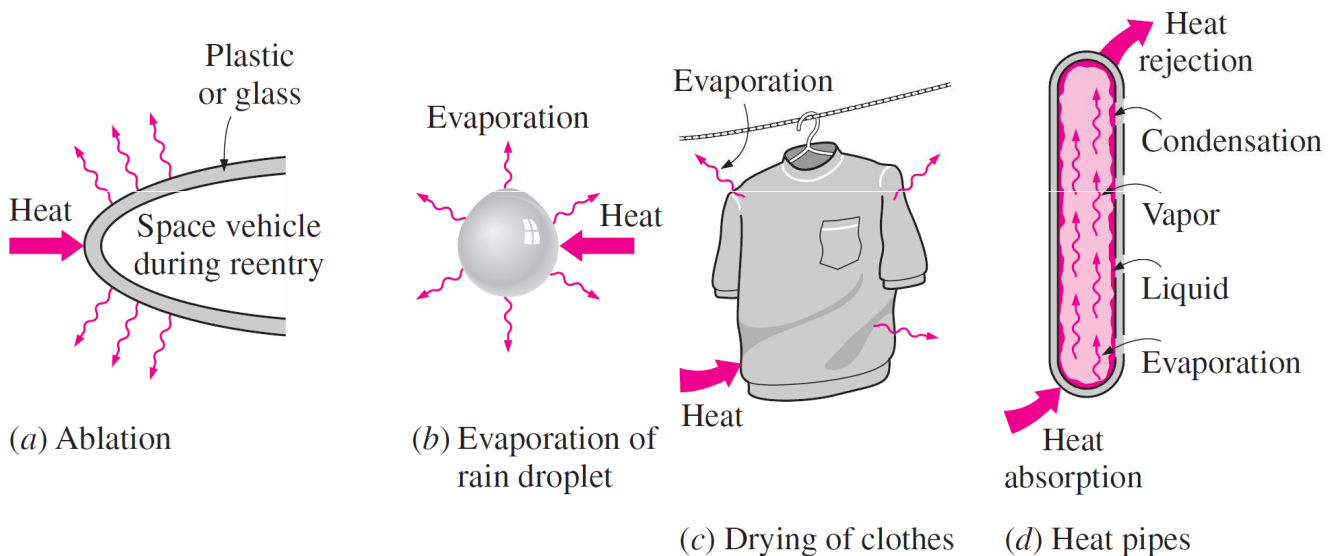
$$h_{mass} = \frac{h_{heat}}{\rho C_p} = \frac{1}{2} f v$$

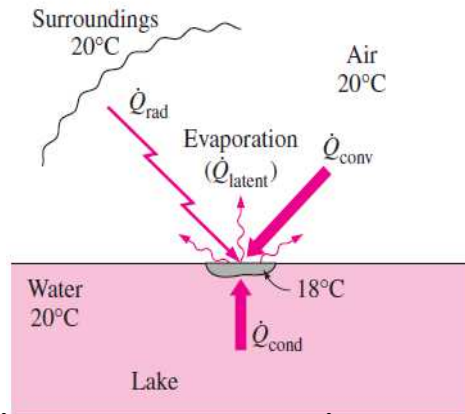
Sherwood number relations in mass convection for specified concentration at the surface corresponding to the Nusselt number relations in heat convection for specified surface temperature

Convective Heat Transfer	Convective Mass Transfer
1. Forced Convection over a Flat Plate	
(a) Laminar flow ($Re < 5 \times 10^5$) $Nu = 0.664 Re_L^{0.5} Pr^{1/3}, \quad Pr > 0.6$	$Sh = 0.664 Re_L^{0.5} Sc^{1/3}, \quad Sc > 0.5$
(b) Turbulent flow ($5 \times 10^5 < Re < 10^7$) $Nu = 0.037 Re_L^{0.8} Pr^{1/3}, \quad Pr > 0.6$	$Sh = 0.037 Re_L^{0.8} Sc^{1/3}, \quad Sc > 0.5$
2. Fully Developed Flow in Smooth Circular Pipes	
(a) Laminar flow ($Re < 2300$) $Nu = 3.66$	$Sh = 3.66$
(b) Turbulent flow ($Re > 10,000$) $Nu = 0.023 Re^{0.8} Pr^{0.4}, \quad 0.7 < Pr < 160$	$Sh = 0.023 Re^{0.8} Sc^{0.4}, \quad 0.7 < Sc < 160$
3. Natural Convection over Surfaces	
(a) Vertical plate	
$Nu = 0.59(Gr Pr)^{1/4}, \quad 10^5 < Gr Pr < 10^9$	$Sh = 0.59(Gr Sc)^{1/4}, \quad 10^5 < Gr Sc < 10^9$
$Nu = 0.1(Gr Pr)^{1/3}, \quad 10^9 < Gr Pr < 10^{13}$	$Sh = 0.1(Gr Sc)^{1/3}, \quad 10^9 < Gr Sc < 10^{13}$
(b) Upper surface of a horizontal plate	
Surface is hot ($T_s > T_\infty$)	
$Nu = 0.54(Gr Pr)^{1/4}, \quad 10^4 < Gr Pr < 10^7$	Fluid near the surface is light ($\rho_s < \rho_\infty$) $Sh = 0.54(Gr Sc)^{1/4}, \quad 10^4 < Gr Sc < 10^7$
$Nu = 0.15(Gr Pr)^{1/3}, \quad 10^7 < Gr Pr < 10^{11}$	$Sh = 0.15(Gr Sc)^{1/3}, \quad 10^7 < Gr Sc < 10^{11}$
(c) Lower surface of a horizontal plate	
Surface is hot ($T_s > T_\infty$)	
$Nu = 0.27(Gr Pr)^{1/4}, \quad 10^5 < Gr Pr < 10^{11}$	Fluid near the surface is light ($\rho_s < \rho_\infty$) $Sh = 0.27(Gr Sc)^{1/4}, \quad 10^5 < Gr Sc < 10^{11}$

14.10 – ALDIBEREKO BERO- ETA MASA-TRANSFERENTZIA

- MASA-TRANSFERENTZIAKO prozesu asko MODU ISOTERMIKOAN gertatzen dira: EZ da bero-transferentziarik izaten
- INGENIARITZA-APLIKAZIO-ETAN: Likido bat lurrundu egiten da eta lurruna inguruko gasean barreiatzen da h_{fg} -ren bitartez





a) $T_{air} = T_{water} = 20^{\circ}C$

Aire asea $\rightarrow \phi = 100\%$

Ez bero ez masa transferentziarik

b) $T_{air} = T_{water} = 20^{\circ}C$

Aire EZ asea $\rightarrow \phi < 100\%$

Masa transferentzia

$$\dot{Q}_{sensible,transferred} = \dot{Q}_{latent,absorbed}$$

$$\dot{Q} = \dot{m}_v \cdot h_{fg} \quad \dot{Q} = \sum \dot{Q}_{cond} + \dot{Q}_{conv} + \dot{Q}_{rad} \quad \underline{Q_{cond} \approx 0 \text{ eta } Q_{rad} \approx 0 \text{ bada}}$$

$$\dot{Q}_{conv} = \dot{m}_v \cdot h_{fg} \rightarrow h_{conv} \cdot A_s (T_{\infty} - T_s) = \frac{h_{conv} \cdot A_s \cdot h_{fg}}{C_p \cdot Le^{2/3}} \frac{M_v}{M} \frac{P_{v,s} - P_{v,\infty}}{P}$$

$$T_s = T_{\infty} - \frac{h_{fg}}{C_p \cdot Le^{2/3}} \frac{M_v}{M} \frac{P_{v,s} - P_{v,\infty}}{P}$$

Various expressions for evaporation rate of a liquid into a gas through an interface area A_s under various approximations (subscript v stands for vapor, s for liquid–gas interface, and ∞ away from surface)

Assumption	Evaporation Rate
General	$\dot{m}_v = h_{mass} A_s (\rho_{v,s} - \rho_{v,\infty})$
Assuming vapor to be an ideal gas, $P_v = \rho_v R_v T$	$\dot{m}_v = \frac{h_{mass} A_s}{R_v} \left(\frac{P_{v,s}}{T_s} - \frac{P_{v,\infty}}{T_{\infty}} \right)$
Using Chilton–Colburn analogy, $h_{heat} = \rho C_p h_{mass} Le^{2/3}$	$\dot{m}_v = \frac{h_{heat} A_s}{\rho C_p Le^{2/3} R_v} \left(\frac{P_{v,s}}{T_s} - \frac{P_{v,\infty}}{T_{\infty}} \right)$
Using $\frac{1}{T_s} - \frac{1}{T_{\infty}} \approx \frac{1}{T}$, where $T = \frac{T_s + T_{\infty}}{2}$ and $P = \rho RT = \rho (R_u/M) T$	$\dot{m}_v = \frac{h_{heat} A_s}{C_p Le^{2/3}} \frac{M_v}{M} \frac{P_{v,s} - P_{v,\infty}}{P}$

- 14.4 atala: MUGALDE-BALDINTZAK
- 14.5 atala : HORMA BATEAN ZEHARREKO MASA-DIFUSIO GELDIKORRA
- 14.7 atala : MASA-DIFUSIO IRAGANKORRA
- 14.8 atala : DIFUSIOA MUGIMENDUAN DAGOEN INGURUNE BATEAN